## Stack Data Structure- Stack ADT

A Linear Data Structure that stores data in a continues / sequential passion and follows LIFO/ FILO strategy.
LIFO - Last In First Out
FILO - First In Last Out



Step1


Step2


Step3

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## Terminology - Stack ADT

Top: It is a pointer connected to the top most index of stack Any operation on stack can be performed only using TOP variable

Initial value of top is -1


Overflow: It is a state of stack that represents stack is FULL.

We cant insert any values in Overflow state of stack

Underflow: It is a state of stack that represents stack is EMPTY.

We cant Delete any values in Underflow state of stack


## Operations on - Stack ADT

1. $\operatorname{PUSH}(x)$
2. POP()
3. DISPLAY( )
4. PEEK()
5. COUNT()

## PUSH ( x ) Operation:

Using PUSH operation we can insert a new value into the stack STEPS:

Step2: top++

Step1: Check Overflow state of the stack
if(top>=Max-1) then

Overflow
60

| 50 | $[4]$ |
| :--- | :--- |
| 40 | $[3]$ |
| 30 | $[2]$ |
| 20 |  |
| 10 | $[1]$ |

Stack[top] = x
Print $x$ is inserted


|  | $[4]$ |
| :--- | :--- |
| 40 | $[3]$ |
| 30 | $[2]$ |
| 20 | $[1]$ |
| 10 | $[0]$ |
|  |  |
|  |  |

## POP( ) Operation:

Using POP operation we can delete a existing value from the stack STEPS:

Step1: Check Underflow state of the stack
if(top==-1)
then

## Underflow

Step2: Print x is inserted


TOP= -1


## DISPLAY( ) Operation:

Using DISPLAY operation we can display all the existing value in the stack STEPS:

Step1: Check Underflow state of the stack
if(top==-1)
then

## Underflow

Step2: for ( i=top; i>=0; i- -) then
print Stack[i]


TOP= -1

|  | $[4]$ |  |
| :--- | :--- | :--- |
| 40 | $[3]$ | $i=3$ <br> 30 <br> 20 |
| 10 | $[1]$ | $i=2$ <br> $i=1$ |
|  |  |  |

## PEEK( ) Operation:

Using PEEK operation we can display topmost value in the stack STEPS:

Step1: Check Underflow state of the stack if(top==-1) then

## Underflow

Step2: print Stack[top] is top most value


TOP= -1

|  | $[4]$ |
| :---: | :---: |
| 40 | $[3]$ |
| 30 | $[2]$ |
| 20 | $[1]$ |
| 10 | $[0]$ |

## COUNT( ) Operation:

Using COUNT operation we can display number of values available in the stack STEPS:

Step1: Check Underflow state of the stack if(top==-1) then

## Underflow



Step2: print top+1 values are available in the stack

|  | $[4]$ |
| :--- | :--- |
| 40 | $[3]$ |
| 30 | $[2]$ |
| 20 | $[1]$ |
| 10 | $[0]$ |

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## Queue Data Structure - Queue ADT

Queue is a linear data structure, that stores values in continues/sequential passion.

Queue fallows FIFO/LILO strategy
FIFO: First in First Out
LILO: Last in Last Out
Queue is represented Horizontally


## Terminology- Queue ADT

Front: Front is a variable, used to perform delete operations on queue

Rear: Rear is a variable, used to perform insert operations on queue

Default value is - 1 for front and rear variable



Underflow: It is a state that represents Queue is Empty
We can not Delete any value from
Queue in Underflow state
front

front == rear

Overflow: It is a state that represents Queue is Full
We can not Insert any value from
Queue in Underflow state

| 10 | 20 | 30 | 40 |
| :---: | :---: | :---: | :---: |
| 0 | 1 | 2 | 3 |

Operations- Queue ADT

1. ENQUEUE (X)
2. DEQUEUE()
3. DISPLAY()
4. PEEK()
5. COUNT( )

## Enqueue( x ) Operation:

Using this operation we can insert a new value into the Queue

## STEPS:

Step1: Check Overflow state of the Queue if(rear > = Max -1) then


Overflow
Step2:
rear + +
Queue[rear] = x


## Dequeue() Operation:

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Using this operation we can Delete a value from the Queue

## STEPS:

Step1: Check Underflow state of the Queue if( front = = rear )
then


## Underflow

Step2: print Queue[rear] is deleted

```
front + +
```

| 10 | 20 | 30 | 40 |
| :---: | :---: | :---: | :---: |
| 0 | 1 | 2 | 3 |

## Display() Operation:

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Using this operation we can Display all the values in Queue STEPS:

Step1: Check Underflow state of the Queue if( front = = rear ) then

## Underflow

Step2: for ( $\mathrm{i}=$ front $+1, \mathrm{i}$ <=rear; i++) then print Queue[ i ]


| 10 | 20 | 30 | 40 |
| :---: | :---: | :---: | :---: |
| 10 | 20 | 30 | 40 |
| 0 | 1 | 2 | 3 |


rear

## Peek( ) Operation:

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Using this operation we can Display the topmost value in Queue

## STEPS:

Step1: Check Underflow state of the Queue if( front = = rear ) then

## Underflow

Step2: print Queue[ rear ] is topmost value


## Count( ) Operation:

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Using this operation we can Display the number of values present in Queue

## STEPS:

Step1: Check Underflow state of the Queue if( front = = rear )
then

## Underflow

Step2: for( i= front +1, i <=rear; i++) then
count + +
end loop



7hank you

